

Insights into the crystal chemistry of the serandite-schizolite-pectolite series

Aaron J. Lussier

Canadian Museum of Nature – Mineral Sciences Division

Joel D. Grice

Canadian Museum of Nature – Mineral Sciences Division

Henrik Friis

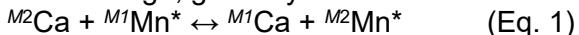
Natural History Museum, University of Oslo

Glenn G. Poirier

Canadian Museum of Nature – Mineral Sciences Division

Summary

A complete solid solution exchange, given by



where ($\text{Mn}^* = \text{Mn}^{2+} + \text{Fe}^{2+} + <\text{Mg} + <\text{Al} + <\text{Ti}^{4+}>$) relates the wollastonite group minerals serandite $\{\text{Na}\} [^{M1}\text{Mn}^{M2}\text{Mn}] \text{Si}_3\text{O}_8(\text{OH})$], schizolite $\{\text{Na}\} [^{M1}\text{Ca}^{M2}\text{Mn}] \text{Si}_3\text{O}_8(\text{OH})$] and pectolite $\{\text{Na}\} [^{M1}\text{Ca}^{M2}\text{Ca}] \text{Si}_3\text{O}_8(\text{OH})$]. Here, a detailed investigation of crystal chemical variations across the series is presented, using data from 16 literature sources as well as 6 new crystal structure refinements (1 pectolite, 4 schizolite and 1 serandite), all originating from igneous (save one hydrothermal) localities worldwide. For crystals refined here, $\langle R_1 \rangle$ is 2.02(1), and all H atoms are located.

It has been well-documented (e.g., Rozhdestvenskaya & Vasilieva 2014; Nagashima *et al.* 2018) that across the series, Ca and Mn^{*} order preferentially at the M1 and M2 octahedral sites, respectively. Modeling the site-population distributions, using Eq. 1, shows that site-occupancies closely follow a two-site distribution coefficient, $K = 20.0(5)$, indicating order-disorder equilibrium, consistent with the long time elapsed since crystallization (youngest, Late Cretaceous). Application of the symmetric formalism model of Holland & Powell (1996) shows mixing to be nearly ideal with activity coefficients of unity and $\Delta H^{\text{ex}} = -1.77$ kcal for Eq. 1.

The observed variations in octahedral bond lengths, $\langle M1 - \phi \rangle$ and $\langle M2 - \phi \rangle$, as a function of $\sum \text{Ca apfu}$ are linear, incongruent with the nonlinear nature of $K(\sum \text{Ca})$. To investigate this, systematic variations of distortion and structural strain in M1- and M2-octahedra were examined, calculated by the formulae of Robinson *et al.* (1971) and the Kirchhoff network equations, respectively. Comparison of these parameters shows a cooperative and predictable variation across the series, with distortion and strain occurring at maximum values for compositions nearing those of ideal schizolite. With K being known, species differentiation across the series may be done with reasonable confidence on the basis of bulk compositional data only, *i.e.* without refinement of Ca and Mn^{*} ordering: corresponding to $0 \leq \sum \text{Ca apfu} < 0.55$



($M1, M2\text{Ca} < M1, M2\text{Mn}^*$) for serandite; $0.55 < \sum\text{Ca apfu} < 1.45$ (and $M1\text{Ca} > M1\text{Mn}^*$) for schizolite; and $1.55 < \sum\text{Ca apfu} \leq 2$ ($M1, M2\text{Ca} > M1, M2\text{Mn}^*$) for pectolite.

References: Holland & Powell (1996) *Am. Mineral.* 81 : 1425-1437; Nagashima *et al.* *Eur. J. Mineral.* 30 : 451-463; Robinson *et al.* (1971) *Science.* 172 : 567-570; Rozhdestvenskaya & Vasilieva (2014) *J. Strc. Chem.* 55 : 1268-1276.